

ELG 8.1: Know that there are numbers that are not rational, and approximate them by rational numbers.

Vertical Progression:

6 th Grade	<p>ELG 6.4 Apply and extend previous understandings of numbers to the system of rational numbers.</p> <ul style="list-style-type: none"> ○ 6.NS.C.6 Understand a rational number as a point on the number line. Extend number line diagrams and coordinate axes familiar from previous grades to represent points on the line and in the plane with negative number coordinates. ○ 6.NS.C.6c Find and position integers and other rational numbers on a horizontal or vertical number line diagram; find and position pairs of integers and other rational numbers on a coordinate plane.
7 th Grade	<p>ELG 7.2 Apply and extend previous understandings of operations with fractions to add, subtract, multiply, and divide rational numbers.</p> <ul style="list-style-type: none"> ○ 7.NS.A.2 Apply and extend previous understandings of multiplication and division and of fractions to multiply and divide rational numbers. ○ 7.NS.A.2d Convert a rational number to a decimal using long division; know that the decimal form of a rational number terminates in 0s or eventually repeats. ○ 7.NS.A.3 Solve real-world and mathematical problems involving the four operations with rational numbers.
8 th Grade	<p>ELG 8.1 Know that there are numbers that are not rational, and approximate them by rational numbers.</p> <ul style="list-style-type: none"> ○ 8.NS.A.1 Know that numbers that are not rational are called irrational. Understand informally that every number has a decimal expansion; for rational numbers show that the decimal expansion repeats eventually, and convert a decimal expansion which repeats eventually into a rational number. ○ 8.NS.A.2 Use rational approximations of irrational numbers to compare the size of irrational numbers, locate them approximately on a number line diagram, and estimate the value of expressions (e.g., π^2). <i>For example, by truncating the decimal expansion of $\sqrt{2}$, show that $\sqrt{2}$ is between 1 and 2, then between 1.4 and 1.5, and explain how to continue on to get better approximations.</i>
Algebra 1	<p>ELG.MA.HS.N.2 Use properties of rational and irrational numbers.</p> <ul style="list-style-type: none"> ○ N-RN.B.3 Explain why the sum or product of two rational numbers is rational; that the sum of a rational number and an irrational number is irrational; and that the product of a nonzero rational number and an irrational number is irrational.

Students will demonstrate command of the ELG by:

- Identifying numbers as rational or irrational and explaining how you know.
- Converting a fraction to its decimal equivalent and a repeating or terminating decimal to its fraction equivalent.
- Approximating the value of irrational numbers.
- Placing rational and irrational numbers on a number line.
- Comparing the size of rational and irrational numbers.
- Approximating the size of square roots that are not whole numbers.

ELG 8.1: Know that there are numbers that are not rational, and approximate them by rational numbers.

Vocabulary:

- irrational number
- rational number
- repeating decimal
- terminating decimal

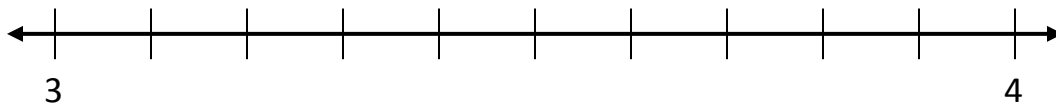
Sample Instructional/Assessment Tasks:

1) Standard(s): 8.NS.A.2

Source: New Jersey Educator Resource Exchange <http://njcore.org/resource/8nsa1-task-rational-vs-irrational>

Item Prompt:

Identify at least 5 rational numbers that are between 3 and 4. Then, identify at least 3 irrational numbers that are between 3 and 4.



Correct Answer(s):

Answers will vary.

2) Standard(s): 8.NS.A.1

Source: [Illustrative Mathematics](https://www.illustrativemathematics.org/content-standards/tasks/334) <https://www.illustrativemathematics.org/content-standards/tasks/334>

Item Prompt:

Decide whether each of the following numbers is rational or irrational. If it is rational, explain how you know.

- $0.\overline{333}$
- $\sqrt{4}$
- $\sqrt{2} = 1.414213\dots$
- 1.414213
- $\pi = 3.141592\dots$
- 11
- $\frac{1}{7} = 0.\overline{142857}$
- $12.\overline{3456565656}$

Correct Answer

- rational. Equals $\frac{1}{3}$ which is the quotient of two whole numbers
- rational. A whole number is rational.
- not rational. The square root of a prime is irrational.
- rational. Can be written as $\frac{1414213}{100000}$ which means it is rational.
- irrational. The decimal for π never repeats.
- rational. A whole number is rational since it can be written as $\frac{11}{1}$.
- rational. It is the quotient of two whole numbers and also a repeating decimal.
- rational. This is a repeating decimal which means that it is rational.